

De Work-Factor Raad wil een platform bieden aan Work-Factor gebruikers, arbeidsanalisten, cost engineers en industrial engineers om problemen, oplossingen, ideeën en tips te bespreken. Daartoe zullen we regelmatig een WS Tip sturen aan "WF-leden" en geïnteresseerden. Mocht dit bericht niet op het juiste adres aankomen stuur het dan door naar geïnteresseerden en laat ons dat weten, svp.

Het onderwerp van vorige WS Tips staat op de WF Website onder: WF en Management/Praktisch - Algemeen/WS Tips.

A practical example of the Theory Of Constraints

THE P&Q PROBLEM, Part 4

SOLUTION QUESTION 3:

Examining the (gross) margin (is Selling Price minus Materials Costs), then we get the following:

$$\begin{aligned} \text{Product P: } & (\$ 90,-) - (\$ 45,-) = \$ 45,-/\text{unit} \\ \text{Product Q: } & (\$ 100,-) - (\$ 40,-) = \$ 60,-/\text{unit}. \end{aligned}$$

Calculation of work content (given that the costs per hour for the man/machine are about the same) shows the following result:

$$\begin{aligned} \text{Product P: } & 55 \text{ min./unit} \\ \text{Product Q: } & 50 \text{ min./unit}. \end{aligned}$$

According to all explorations and measurements product Q is superior to P. Delivery of the whole market demand for Q, gives a (gross) result of:
 $50 \times \$ 60,- = \$ 3.000,-$.

Having answered the complete market demand for Q, we are not able to deliver the complete demand for P.
 The problem is the capacity of machine B.

Available time:	$5 \times 8 \times 60$	= 2400 min. mach. B
Used for Q:	50×30	= <u>1500 min. mach. B</u>
	remaining	900 min. for production of P.

We can produce $900/15 = 60$ units of P on mach. B.

Margins:	Q: $50 \times \$ 60,-$	= \$ 3.000,-
	P: $60 \times \$ 45,-$	= <u>\$ 2.700,-</u>
		\$ 5.700,-
	-/- OE	<u>\$ 6.000,-</u>
		-/- \$ 300,- (loss).

Something went wrong: where is the profit?

VI. Let us ask the Industrial Engineer:

Try the schedule: P, Q.

Now if we do the opposite what is the result?

The manufacturing schedule will be: P, Q.

Available time: $5 \times 8 \times 60 = 2400$ min. mach. B
 Used for P: $100 \times 15 = \underline{1500}$ min. mach. B
 remaining 900 min. for production of Q.

We can produce $900/30 = 30$ units of Q on mach. B.

P: 100 x \$ 45,- =	\$ 4.500,-
Q: 30 x \$ 60,- =	<u>\$ 1.800,-</u>
	\$ 6.300,-
-/- OE	<u>\$ 6.000,-</u>
	+ \$ 300,- (profit).

We now have a far better result; what is the logic behind this?

THEORY OF CONSTRAINTS (TOC)

If there were no capacity constraints then the maximum profit would be:

$$\begin{array}{r}
 \text{Q: } 50 \times \$ 60,- = \$ 3.000,- \\
 \text{P: } 100 \times \$ 60,- = \underline{\$ 4.500,-} \\
 \phantom{\text{P:}} = \underline{\$ 7.500,-} \\
 \phantom{\text{P:}} -/- \text{ OE } \underline{\$ 6.000,-} \\
 \phantom{\text{P:}} + \$ 1.500,- \text{ (profit)}.
 \end{array}$$

Due to a capacity constraint we cannot reach maximum profit.

Mach. A:	Available 2400 min.		
	Required Q: 50 x 10 min.	=	500 min.
	P: 100 x 15 min.	=	<u>1500 min.</u>
			2000 min. No capacity constraint
Mach. B:	Available 2400 min.		
	Required Q: 50 x 30 min.	=	1500 min.
	P: 100 x 15 min	=	<u>1500 min.</u>
			3000 min. Capacity constraint
Mach. C:	Available 2400 min.		
	Required Q: 50 x 5 min.	=	250 min.
	P: 100 x 15 min	=	<u>1500 min.</u>
			1750 min. No capacity constraint
Mach. D:	Available 2400 min.		
	Required Q: 50 x 5 min.	=	250 min.
	P: 100 x 10 min.	=	<u>1000 min.</u>
			1250 min. No capacity constraint

We have now completed the first step of the Theory Of Constraints (TOC):

Step 1: Identify your constraints

Mach. B is the capacity constraint in this system.

The next step is

Step 2: Exploit your constraints

See the next WS Tip

Voor reacties naar

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